

Magnetic Sensor (3D)

- AMR Sensor

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Magnetic Anisotropy (1)

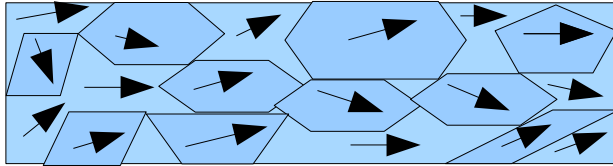
Magneto-crystalline Anisotropy

- **An intrinsic property of a ferri-magnet**
- **Magnetization curve along different crystal directions**

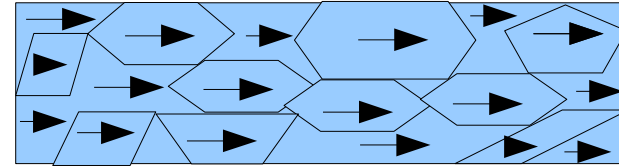
- **Easy direction**
- **Hard direction**
- **Intermediate direction**

Magnetic Anisotropy (2)

 **Easy direction**



Magnetization



Permalloy Resistor
: NiFe (ferri-magnet)

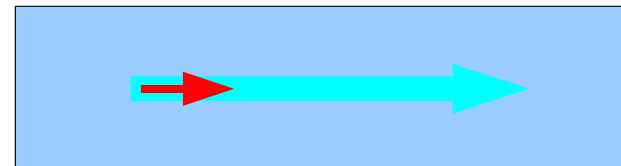


Permalloy Resistor (1)



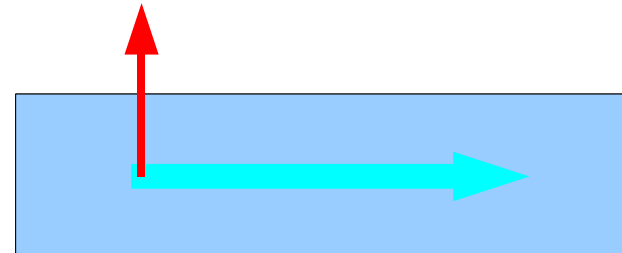
R_{\max} : small current

: parallel current direction



R_{\min} : large current

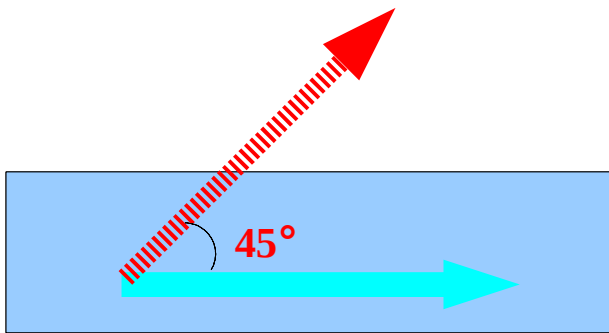
: perpendicular current direction



Permalloy Resistor (2)

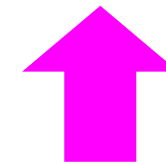
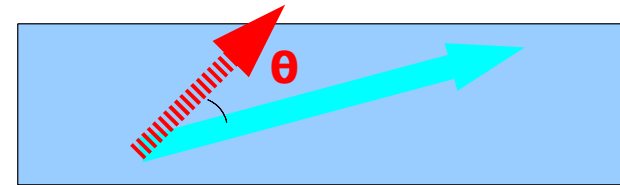


Fix the direction of current



External Magnetic Field changes

- the magnetization direction of permalloy
- the resistance
- the current

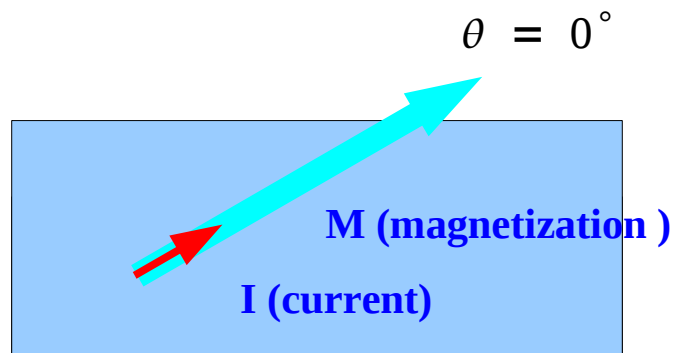


H_{applied}

The current direction is fixed

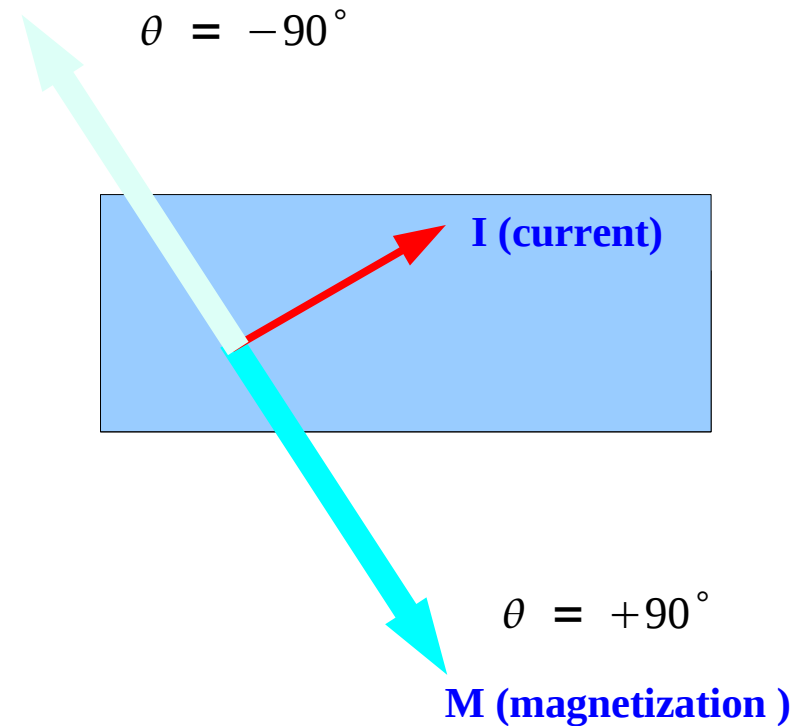
R_{\max} : small current

: parallel current direction



R_{\min} : large current

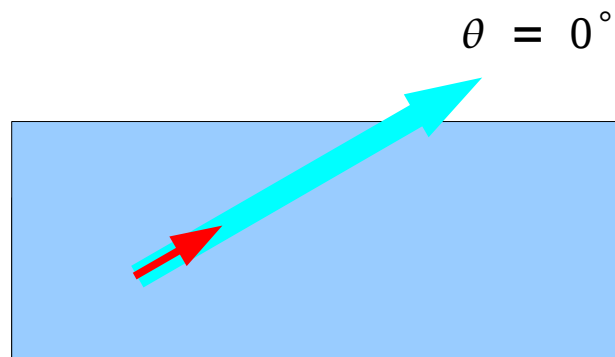
: perpendicular current direction



R(θ) Modelling

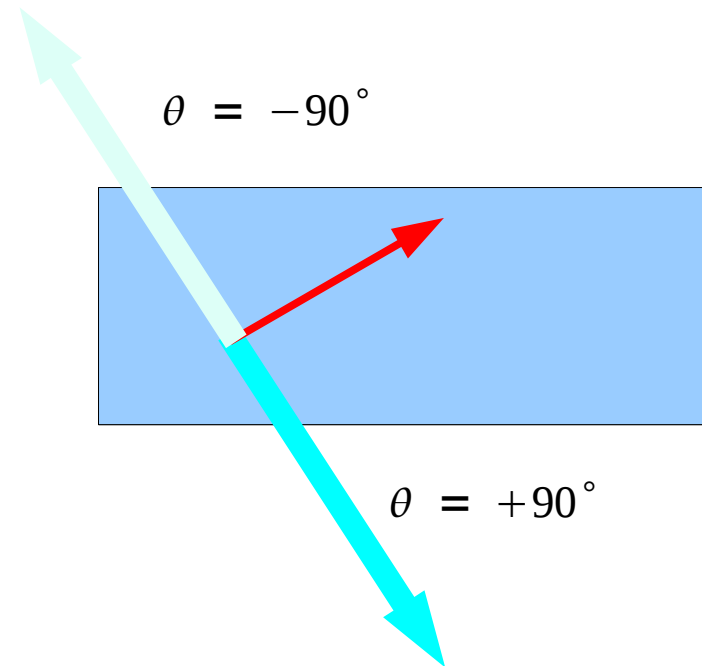
$$R(\theta) = R_{max} \sin^2 \theta + R_{min} \cos^2 \theta$$

$$= R_{min} + (R_{max} - R_{min}) \sin^2 \theta$$



$$R(0) = R_{min} \cos^2 0 + R_{max} \sin^2 0$$

$$R(0) = R_{min}$$

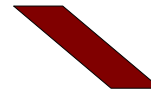


$$R(\pm 90) = R_{min} \cos^2(\pm 90) + R_{max} \sin^2(\pm 90)$$

$$R(\pm 90) = R_{max}$$

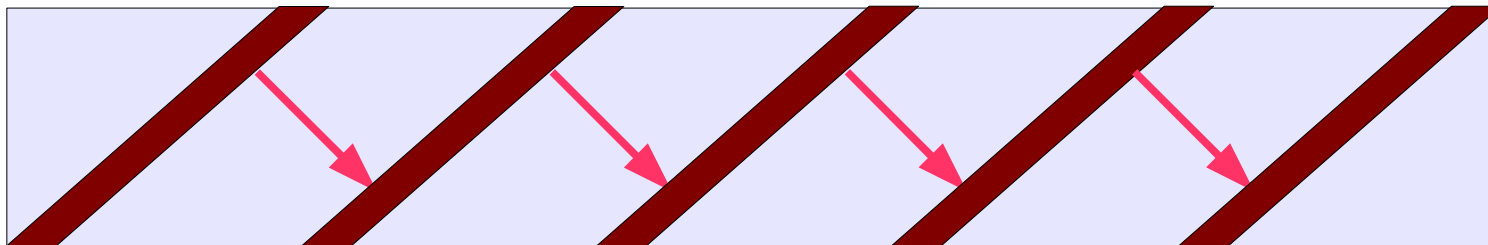
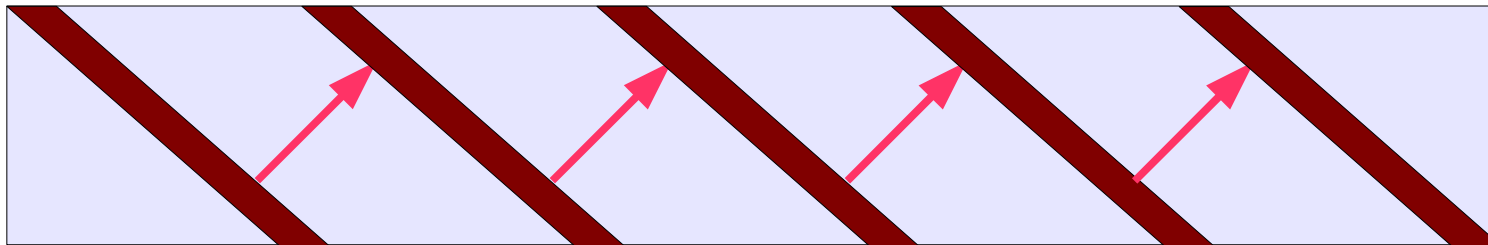
Barber Pole Biasing

How the current direction is fixed?

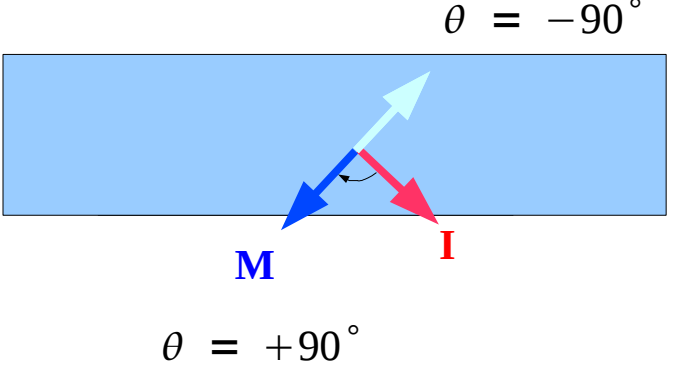
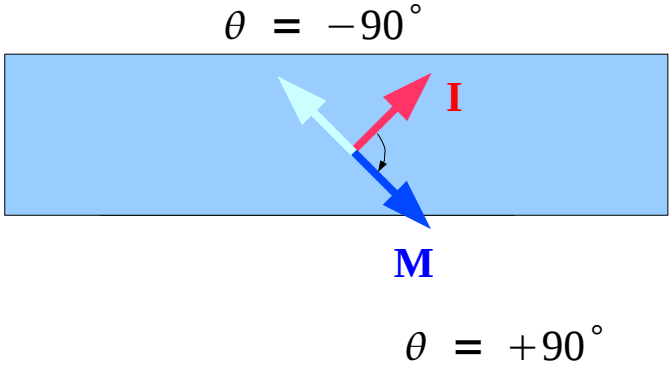
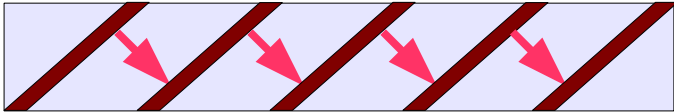
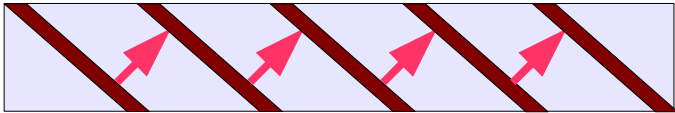


Shortening Bars

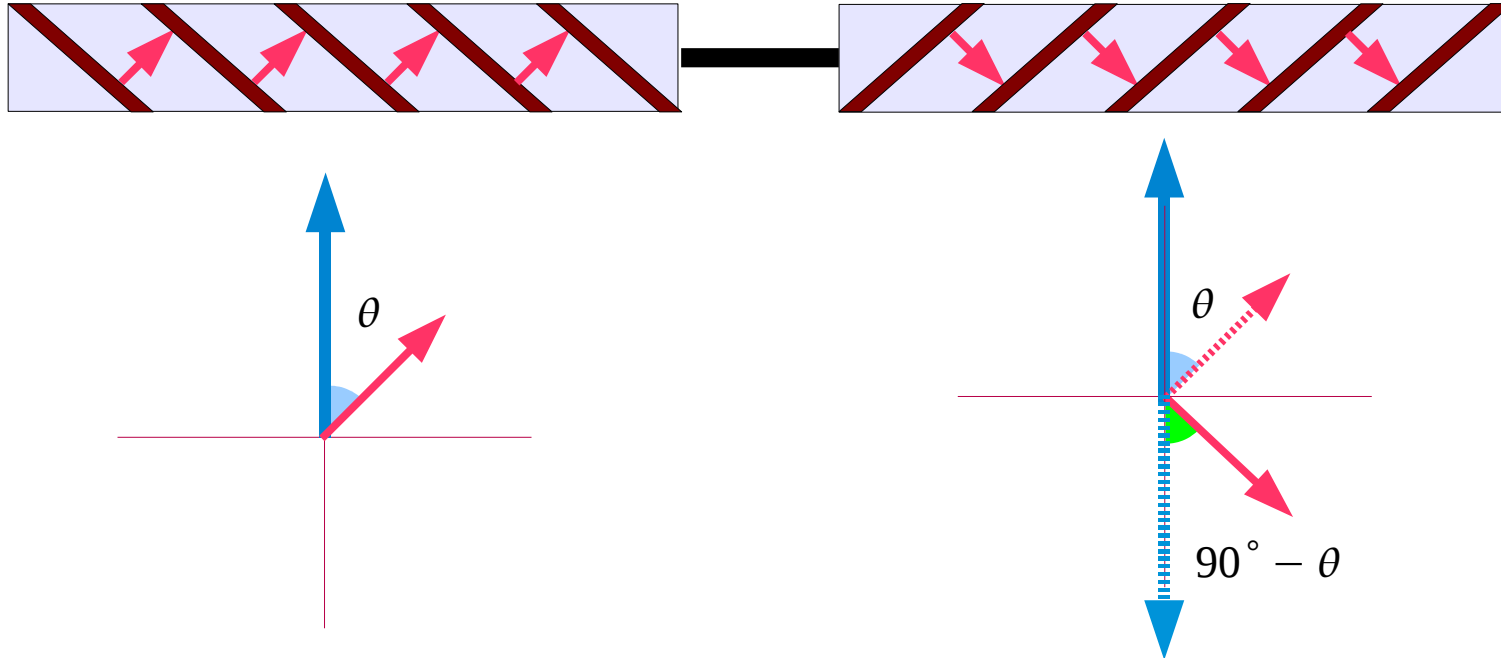
Barber Pole Biasing
: the shortest path



Angle between I and M



$R_A(\theta)$ and $R_B(\theta)$ Modelling

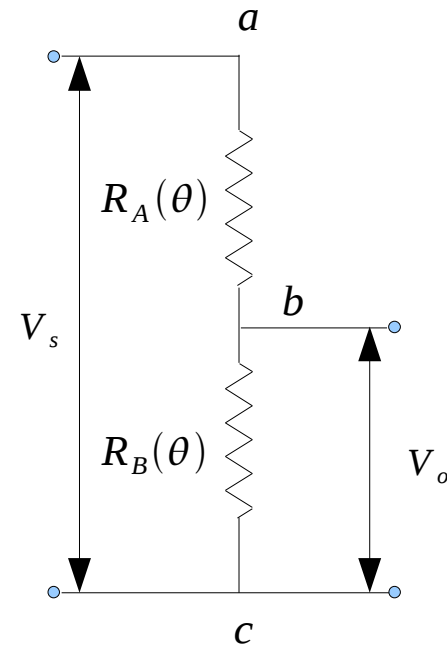
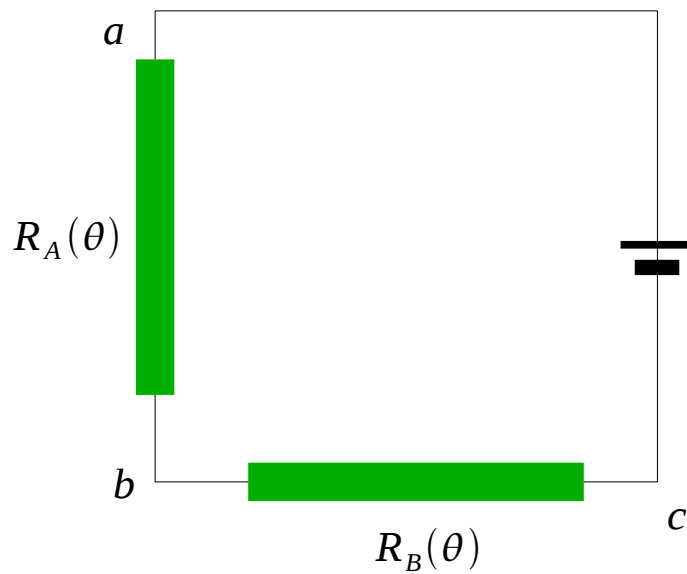
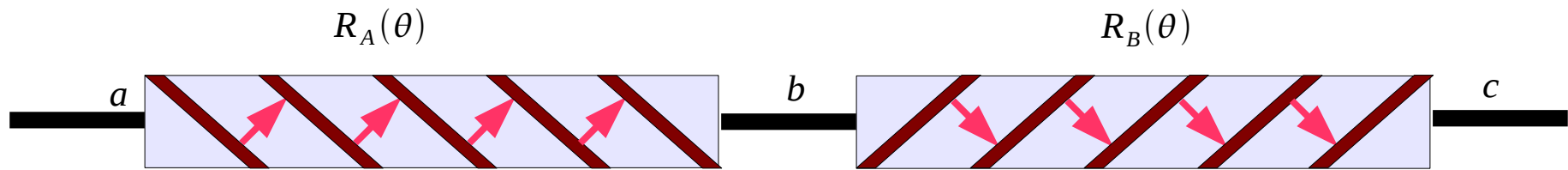


$$R_A(\theta) = R_{max} \sin^2 \theta + R_{min} \cos^2 \theta$$

$$R_B(\theta) = R_{max} \sin^2(90 - \theta) + R_{min} \cos^2(90 - \theta)$$

$$R_B(\theta) = R_{max} \cos^2 \theta + R_{min} \sin^2 \theta$$

Voltage Divider



$$R_A(\theta) = R_{max} \sin^2 \theta + R_{min} \cos^2 \theta$$

$$R_B(\theta) = R_{max} \cos^2 \theta + R_{min} \sin^2 \theta$$

References

- [1] <http://en.wikipedia.org/>
- [2] Nam Ki Min, Sensor Electronics, Dong-il Press
- [3] <http://www.sensormag.com/> articles